

Use the following general linear demand function to answer the next five questions:

$$Q_d = a + bP + cM + dP_R$$

Where  $Q_d$  = quantity demanded,  $P$  = the price of the good,  $M$  = household income,  $P_R$  = the price of a good related in consumption ( $a, b, c, d$  are constant).

1. The law of demand requires that

- (a)  $a < 0$
- (b)  $b < 0$
- (c)  $c < 0$
- (d)  $b < 0$  and  $d < 0$
- (e)  $b < 0$  and  $P < 0$

$\frac{10}{10}$

2. If  $c = 0.01$ , the good is

- (a) a normal good
- (b) an inferior good
- (c) a substitute for good R
- (d) a complement with good R
- (e) both a and d

$$\frac{e + gP_R - a - cM - dP_R}{2 - f}$$

3. If  $d = -32$ , the good is

- (a) a normal good
- (b) an inferior good
- (c) a substitute for good R
- (d) a complement with good R
- (e) both b and d

$$a + bP + cM + dP_R = e + fP + gP_R$$

$$a + cM + dP_R - e - gP_R = fP - bP$$

$$P(f - b)$$

4. Suppose that the general supply function is estimated to be:  $Q_s = e + fP + gP_K$  where  $P$  = the price of the good,  $P_K$  = the price of capital. The equilibrium price is:

(a)  $P = \frac{Q_d - a - cM - dP_R}{b}$

(b)  $P = \frac{Q_s - e - gP_K}{f}$

(c)  $P = \frac{e + gP_K - a - cM - dP_R}{b - f}$

(d)  $P = \frac{e - a - cM}{b - f}$

$$P = \frac{Q_s - e - gP_K}{f}$$

$$P = \frac{Q_d - a - cM - dP_R}{b}$$

$$Q = 180 - 20 - 200 + 50 = 16$$

5. Suppose that  $Q_d = 180 - 10P - 0.2M + 10P_R$ . When  $M = \$1,000$  and  $P_R = \$5$ , and  $P = \$2$ , the price elasticity of demand is

- (a)  $E_p = -2$
- (b)  $E_p = -4$
- (c)  $E_p = -10$
- (d)  $E_p = -50$
- (e)  $E_p = -0.05$

$$E = \frac{P}{Q} \times \frac{dQ}{dP}$$

$$= -10 \times \frac{2}{16}$$

$$= -\frac{20}{16} = -1.25$$